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## Exercise 5

### PGPLOT, make, COMPLEX

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#### 1. Task *PGPLOT* (7 P)

Write a little Fortran program that uses `PGENV` and `PGLAB` to show a coordinate system for  $x \in [-2; 2]$  and  $y \in [-1; 1]$ . Also plot a yellow point at  $(-1; 0.5)$ . (3 P)

Write a `Makefile` for compilation! (4 P)

*Important hints:* You can find the `PGPLOT` library in `/home/weber/htodt/PGPLOT/`. You also have to set the `LD_LIBRARY_PATH` to this directory (check with `ldd!`).

Note that the data types in `PGPLOT` are all of `KIND=4`. A literal constant of `KIND=4` can be created by appending `_4` to the value, e.g., `1.0_4`.

#### 2. Task *Mandelbrot set* (10 P)

The Mandelbrot set is a subset of the complex plane  $M \subset \mathbb{C}$  defined by

$$c \in M : ||\{z_n(c)\}|| < \infty, \quad (1)$$

where the members of the sequence  $\{z_n\}$  are

$$z_{n+1} = z_n^2 + c \quad \text{and} \quad z_0 = 0. \quad (2)$$

Focus on the region around  $c = 0 + 0i$ , e.g.,

$$-2 \leq \operatorname{Re}(c) \leq +1 \text{ and } -1 \leq \operatorname{Im}(c) \leq +1$$

and calculate the shape of the Mandelbrot set for it by checking Eq. (1) for a subset of points in this region.

- a) As a first approach, the graphical output can be easily done in the terminal by mapping each position (column and lines) in the terminal, e.g.,  $132 \times 42$  characters, to a point in the complex plane. The `WRITE` statement should therefore only print one character per call, e.g., an `X` if the point belongs to the Mandelbrot set and a blank (space) “ ” for the other points. At the of each line in the terminal the `WRITE` statement creates a line break.
- b) How many `DO`-loops are needed and how are they nested into each other?
- c) Use the data type `COMPLEX` for Eq. (1).