

# The X-Ray Universe

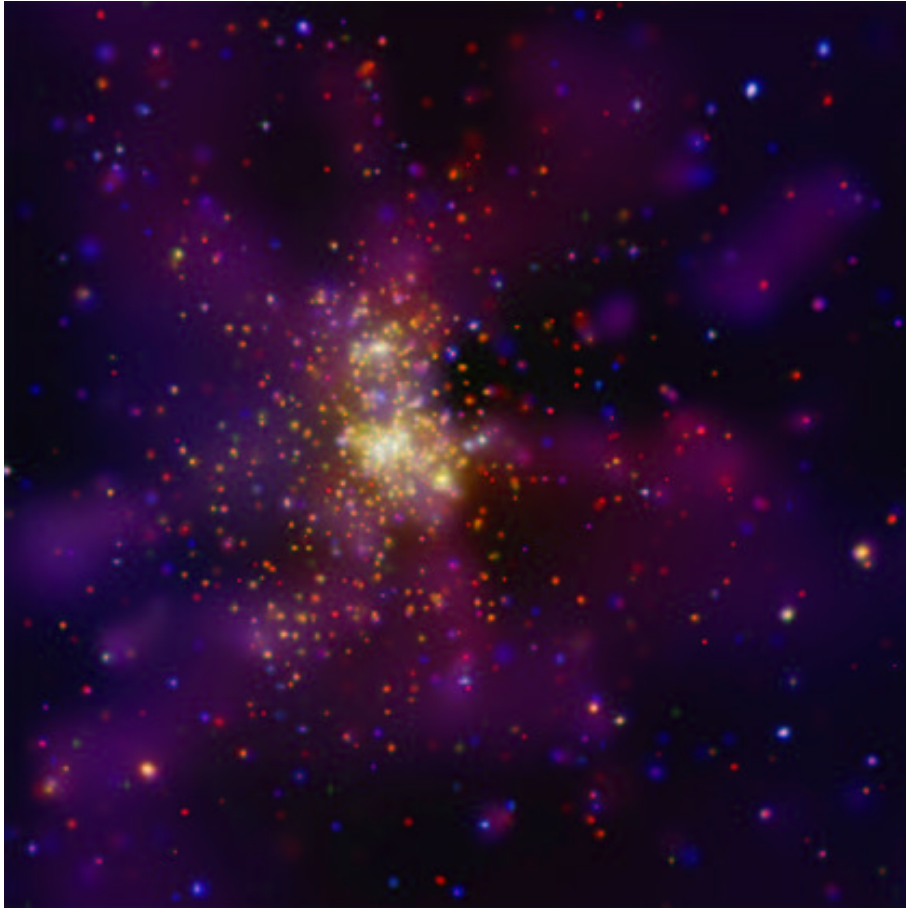
Potsdam University

Dr. Lidia Oskinova

Wintersemester 2008/09

[lida@astro.physik.uni-potsdam.de](mailto:lida@astro.physik.uni-potsdam.de)

[www.astro.physik.uni-potsdam.de/~lida/theormech.html](http://www.astro.physik.uni-potsdam.de/~lida/theormech.html)

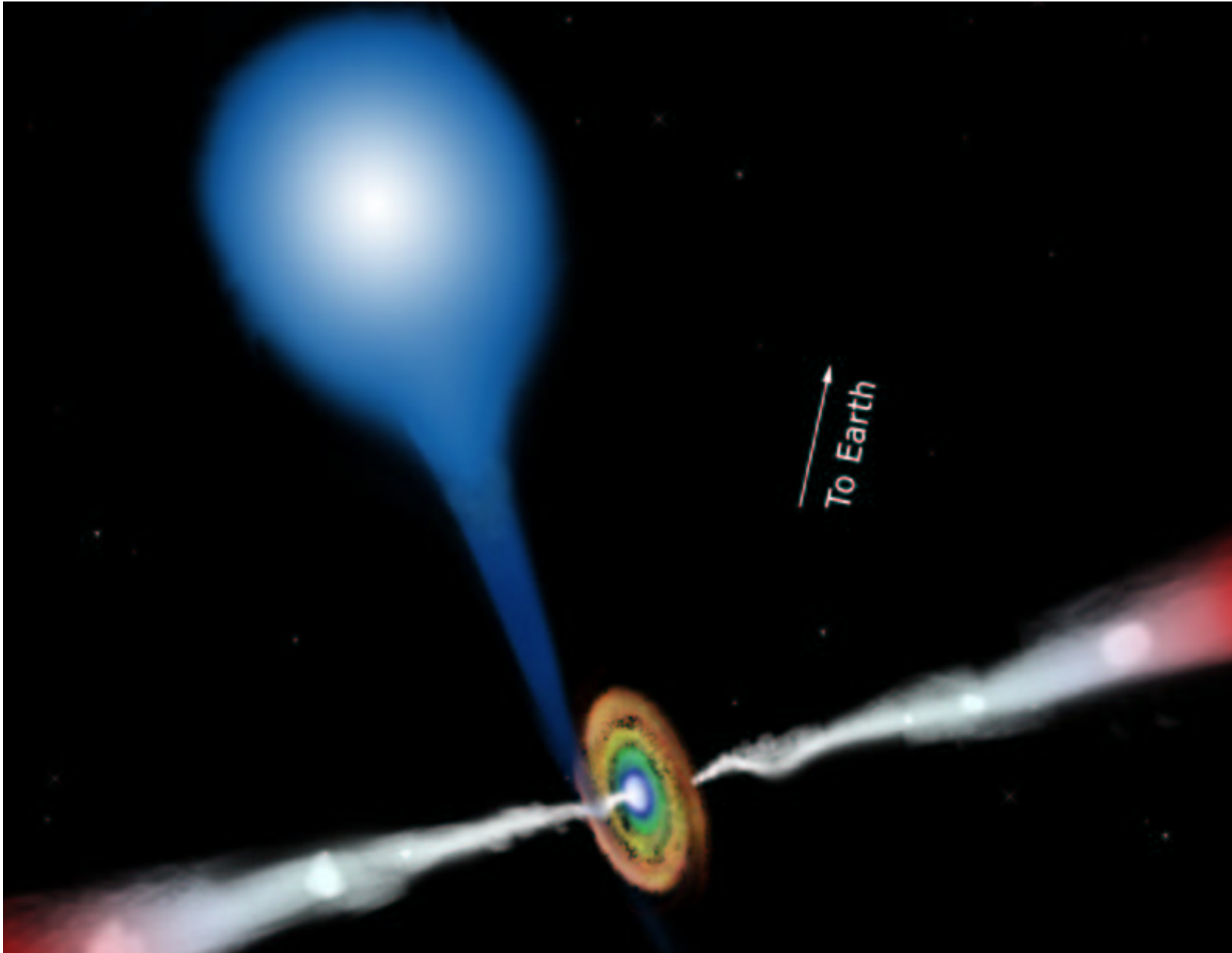


Chandra X-ray Observatory

Westerlund 2 - a young star cluster

$d = 2 \times 10^4 \text{ ly}$

# VIII. X-ray Binaries



<http://chandra.harvard.edu/photo/2004/ss433/>





Integral + A. Melinger

## 02 What is X-ray binary?

Binary star where one companion is a neutron star or a black hole.  
Second companion is non-degenerate star (or WD).

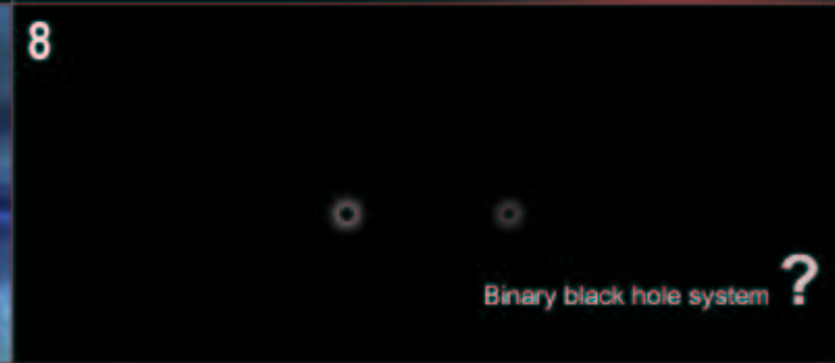
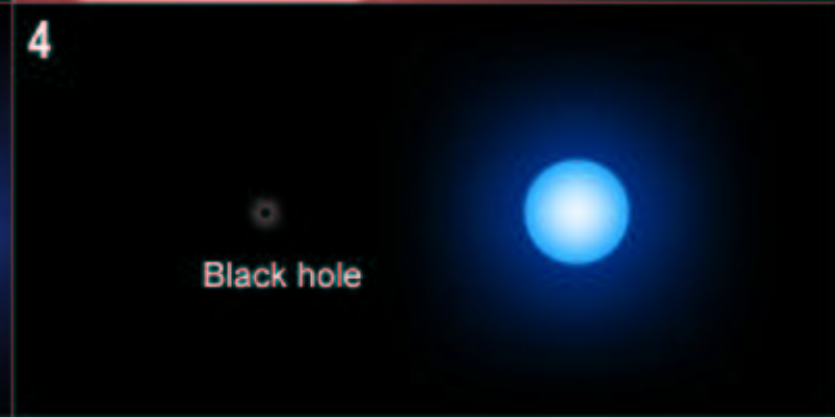
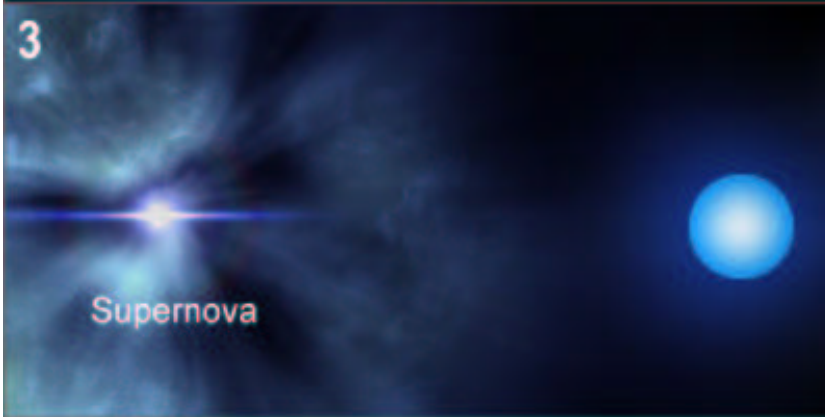
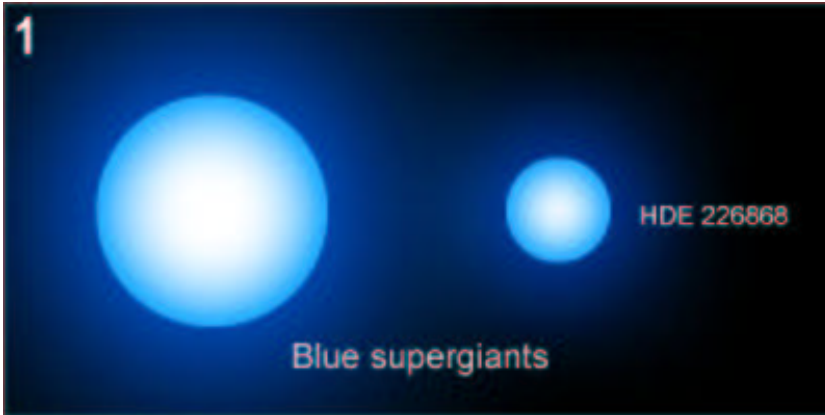
WD companion → cataclismic variable

The matter is accreted either from the inner Lagrangian point, or from surrounding stellar wind or medium (Bondi accretion)

Gravitational and kinetic energy of matter falling onto the central object is converted by dissipation to heat.

Heat is partially radiated out, partially converted to work on the disc expansion and (in the case of BH accretion) partially lost inside the hole.





## 03 Accretion

The depth of potential well in compact objects is large → large amount of energy is liberated in accretion process

The process of accretion at a rate  $\dot{M}$  onto an object of mass  $M$  and radius  $R$  gives a luminosity of

$$L = GM\dot{M}/R$$

Heat is partially radiated out, partially converted to work on the disc expansion and (in the case of BH accretion) partially lost inside the hole.

Mass to energy conversion efficiency  $\eta = L/Mc^2 = 0.1 \rightarrow$   
**considerably greater than the efficiency of nuclear fusion ( $\eta = 0.07$ ).**

## 03a Eddington limit

The accretion rate is limited by the **Eddington limit**. Defined by the balance between **outward radiation pressure** and **inward gravitational force**.

Any phenomenon lasting more than a few dynamical scales should have  $L < L_{\text{edd}}$ .

Force of radiation acting on an electron

$$F_{\text{rad}} = \frac{L}{4\pi R^2} \sigma_{\text{T}} \frac{h\nu}{c}$$

Force of gravity on a proton  $F_{\text{grav}} = \frac{GMm_{\text{p}}}{R^2}$

$$L_{\text{edd}} = \frac{4\pi GMm_{\text{p}}c}{\sigma_{\text{T}}} \approx 10^{38} \frac{M}{M_{\odot}} \text{ erg/s}/M_{\odot}$$

Maximum accretion rate

$$\dot{M}_{\text{acc}}^{\text{edd}} = \frac{L_{\text{edd}}}{\eta c^2} \approx 2 \times 10^{-8} \frac{M}{M_{\odot}} M_{\odot} / \text{yr}$$

## 04 Accretion disks

Matter's angular momentum is  $>$  than the Keplerian angular momentum  
→ accreting matter will orbit a compact object.

Dissipation and friction: matter flattens and spreads equatorially into an **accretion disk**. The angular momentum is transported outward by friction and mass moves inward. Friction is magneto-turbulent in origin (likely) (Balbus & Hawley 1998)

**Newtonian gravity**: angular momentum at a distance  $R$  from a spherical object with the mass  $M$  is  $(GMR)^{1/2}$  → monotonically increasing → stability of all orbits.

**Einstein gravity**: angular momentum has a minimum at the radius of the innermost stable circular orbit (ISCO). Orbits above  $r_{ISCO}$  are stable, and below are unstable.

For a non-rotating black hole  $r_{ISCO} = 6GM/c^2$



## 05 Spherically symmetrical (Bondi) accretion

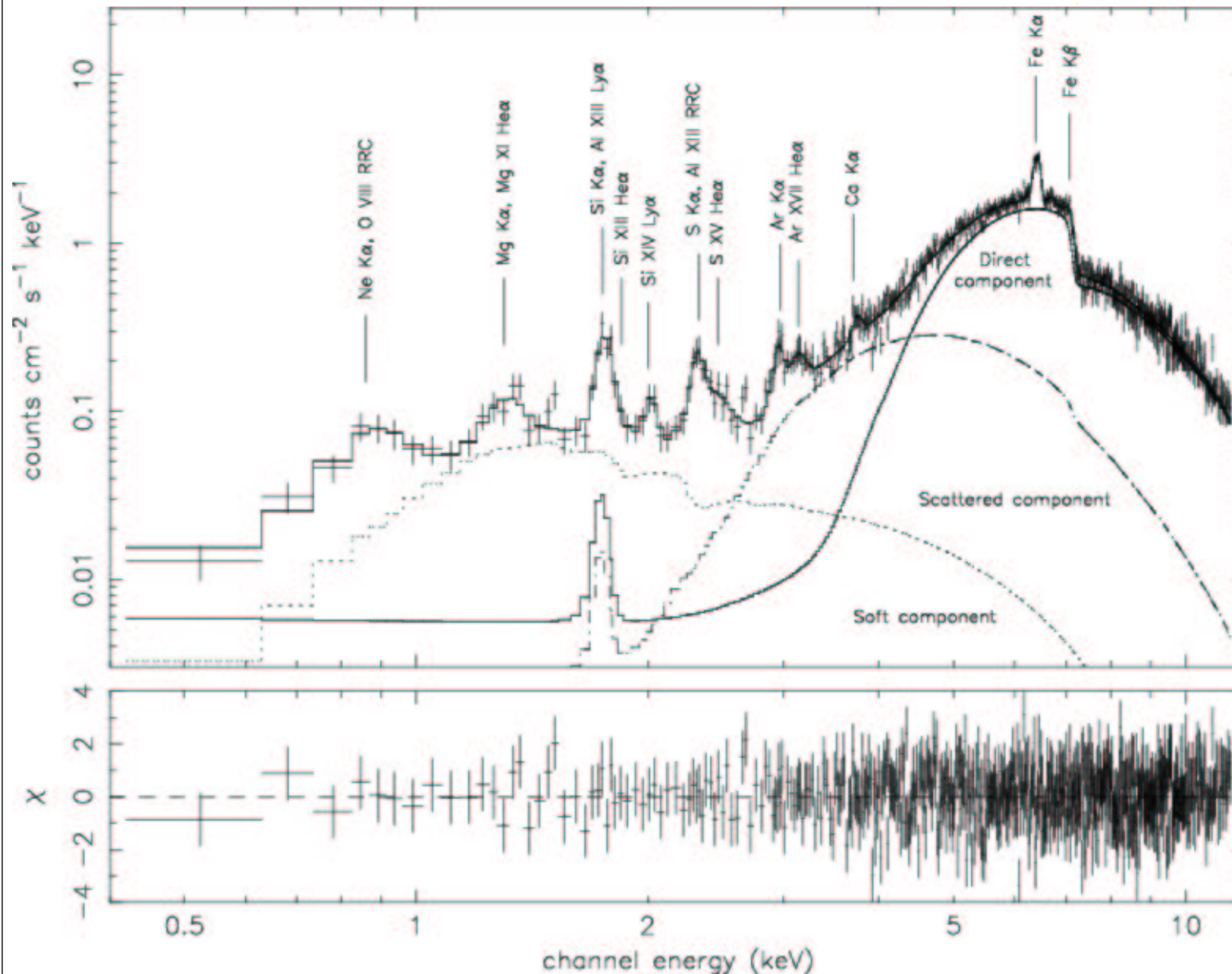
- Spherical accretion onto an object occurs e.g. in a star accreting from ISM or in a compact object immersed in stellar wind.
- This happening when angular momentum is not dynamically important
- Accretion rate  $\dot{M}_{\text{acc}} = 4\pi r_A^2 \rho v$  , velocity can be either sound speed ( $c_s$ ) or motion speed of compact object through the medium.
- Accretion  $E_{\text{tpt}} < 0 \rightarrow r_A$  is effective radius such that escape velocity

$$\sqrt{\frac{2GM}{r_A}} = v$$

$$\bullet \quad r_A = \frac{2GM}{v^2} \rightarrow \dot{M}_{\text{acc}} = \frac{8\pi\rho G^2 M^2}{v^3}$$

## 05a X-ra spectrum

- The gravitational energy of accreted matter is converted to heat.
- In **optically thick** case, black-body radiation  $L_X = 4\pi\sigma_{sb}T^4 \rightarrow kT \approx 1\text{keV}$
- In **optically thin** case, mean particle energy  $\frac{3}{4}kT = \frac{GMm_p}{R} \rightarrow kT \approx 50\text{MeV}$



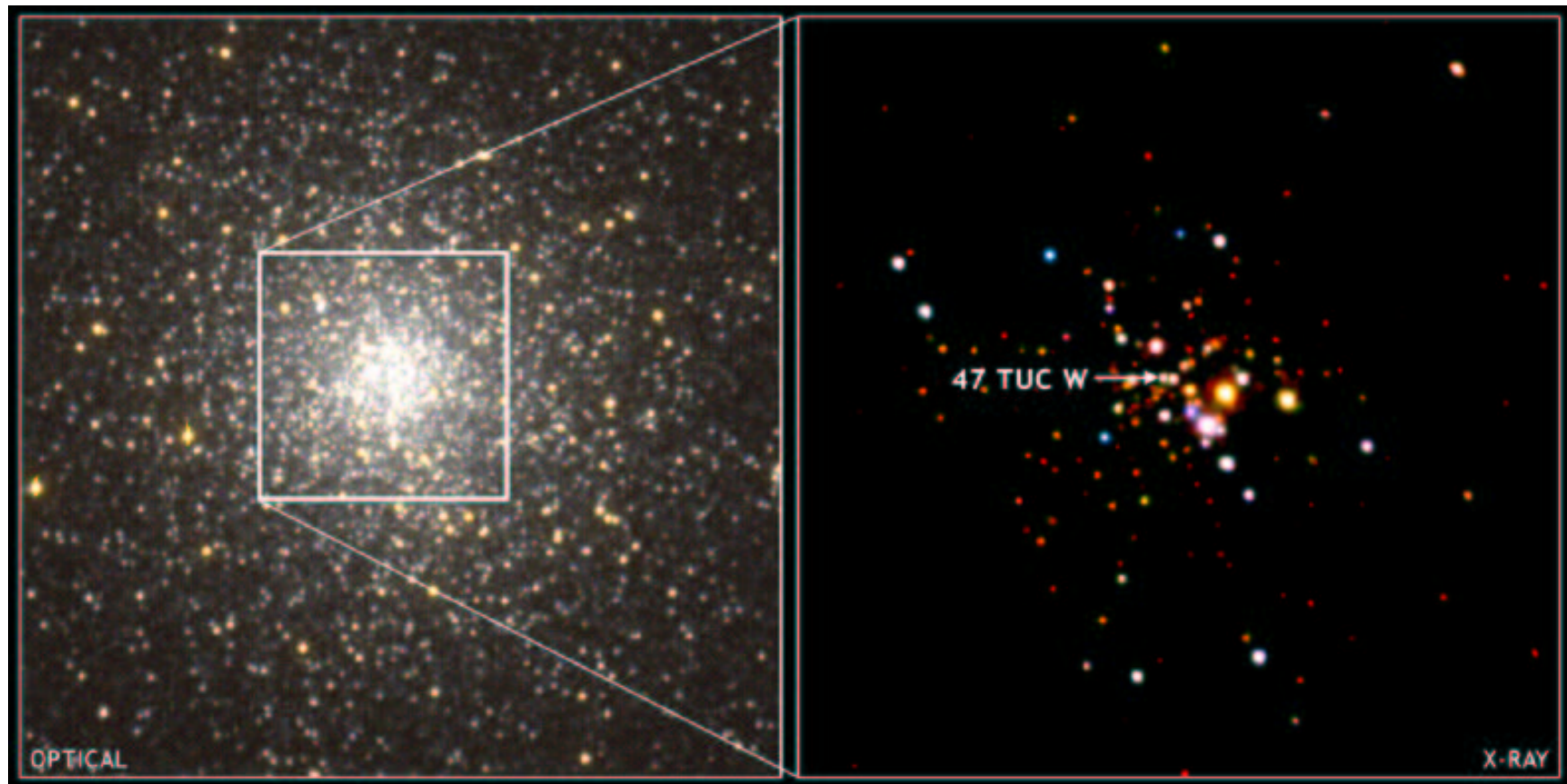
Broad range of temperatures. Thermal radiation may be modified by comptonisation, fluorescence, and absorption

X-ray photoionized surrounding matter  $\rightarrow$  secondary X-ray source

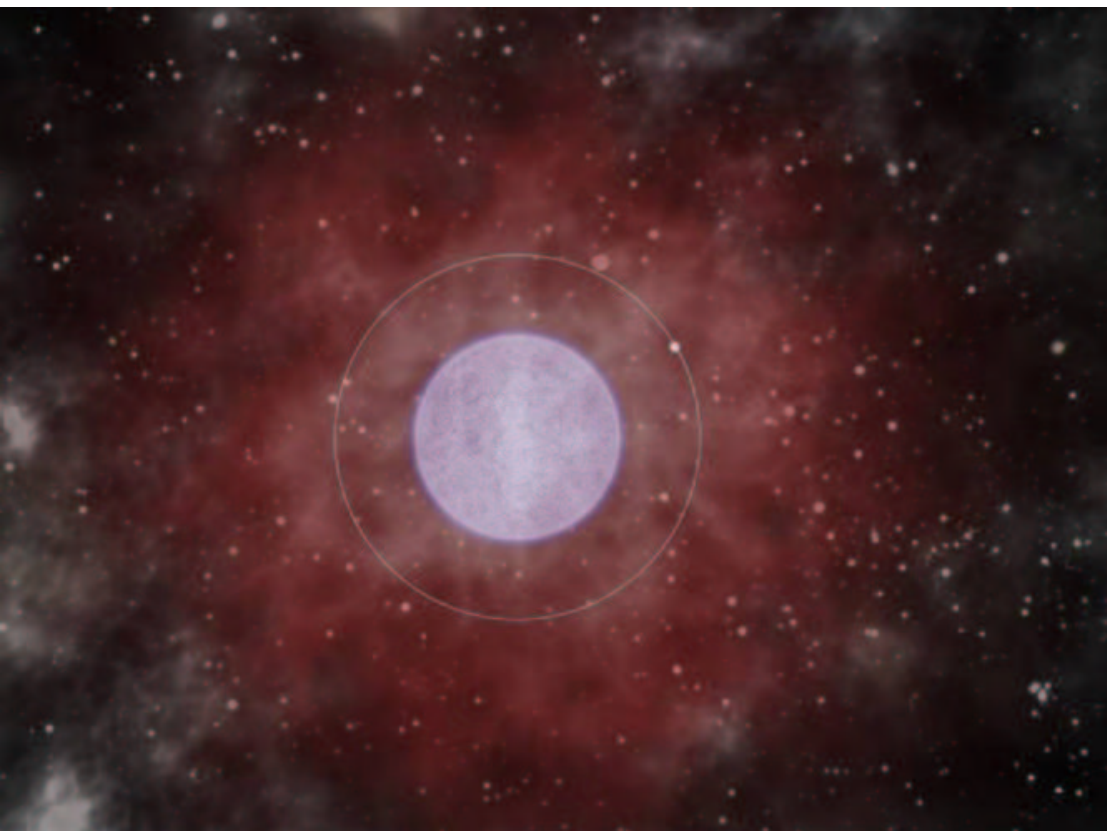
## 06 X-ray Binary Classification

Classified according to type of non-degenerate star

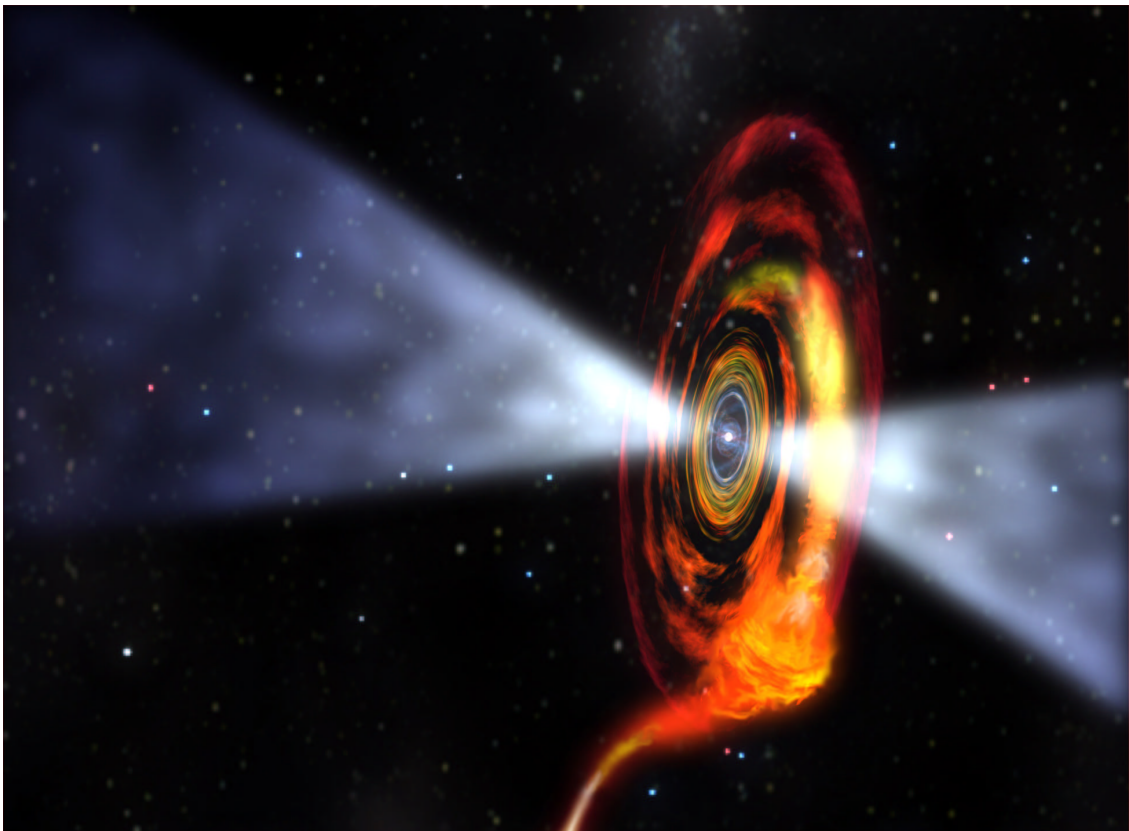
- **High-mass X-ray binaries (HMXB): early-type star (A or earlier).** Powered by stellar wind accretion. Two categories: Be binaries and the rest. Located in star forming regions, traces of star formation. [Cyg X-1](#), [Vela X-1](#), [Her X-1](#))
- **Low-mass X-ray binary (LMXB): late type stars.** Powered by mass transfer via L1. Many types. Trace old population, globular clusters. [Sco X-1](#), [μQSO](#)







HMXB

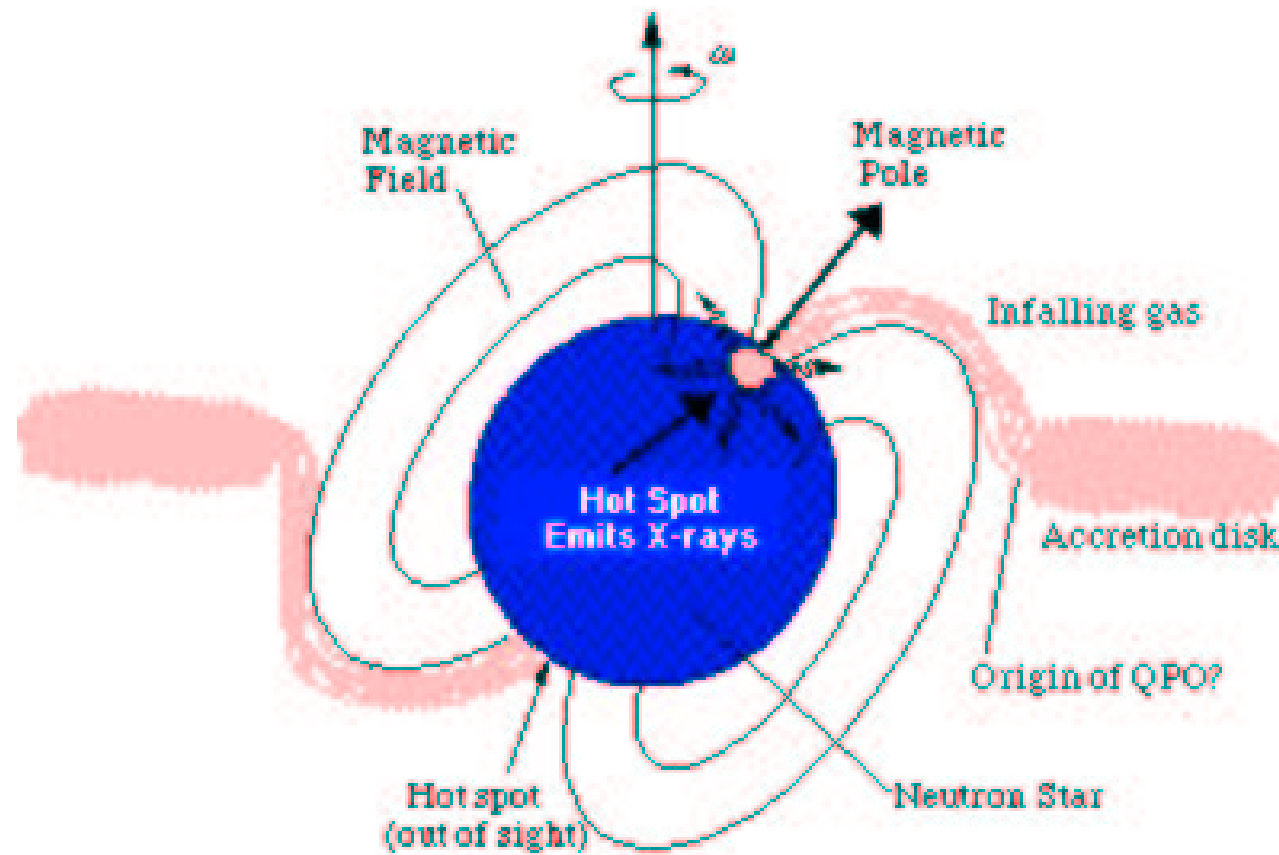


LMXB



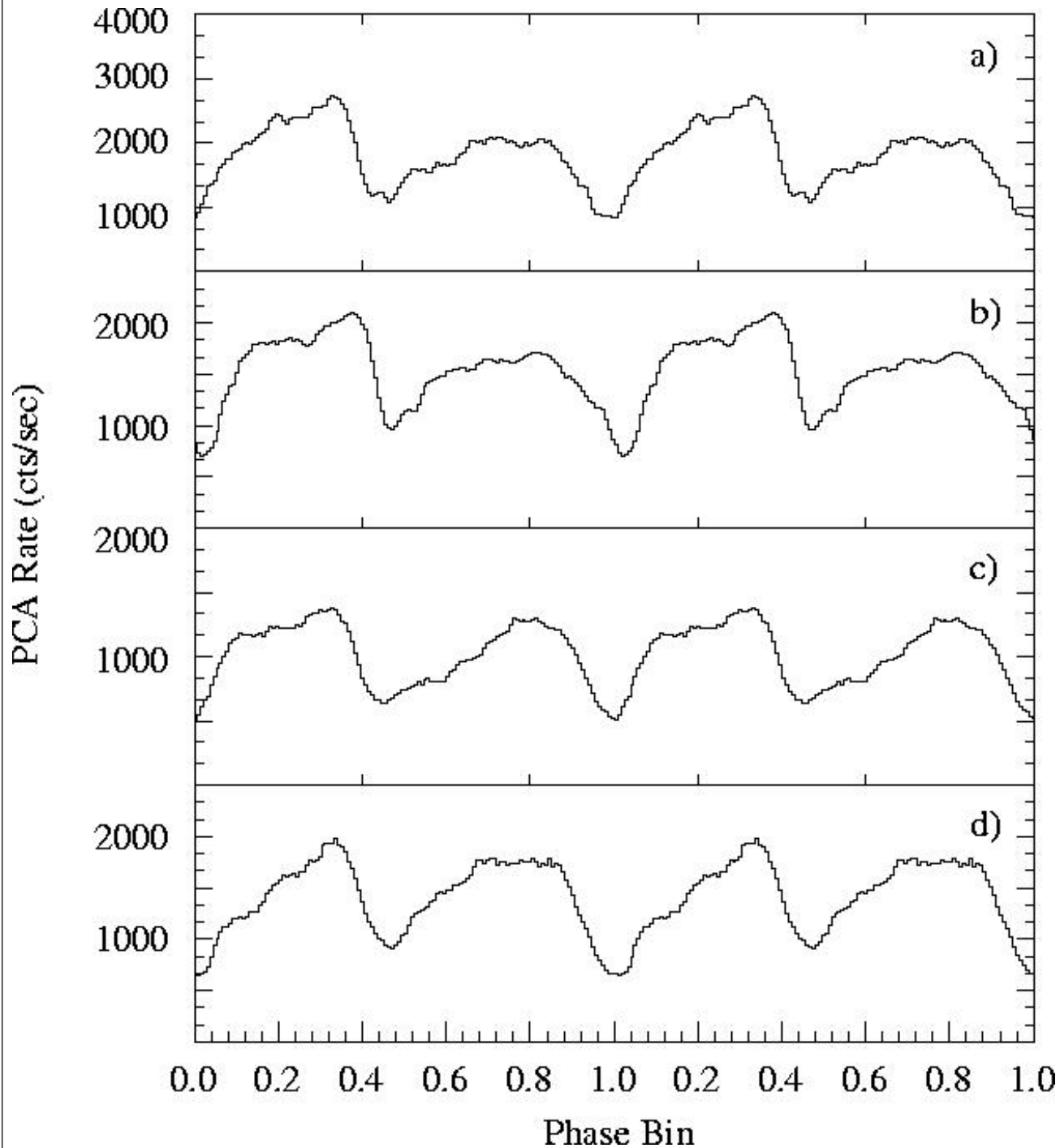
## 06b Schematic view on pulsar accretion (Davidson & Ostriker 1973)

06b

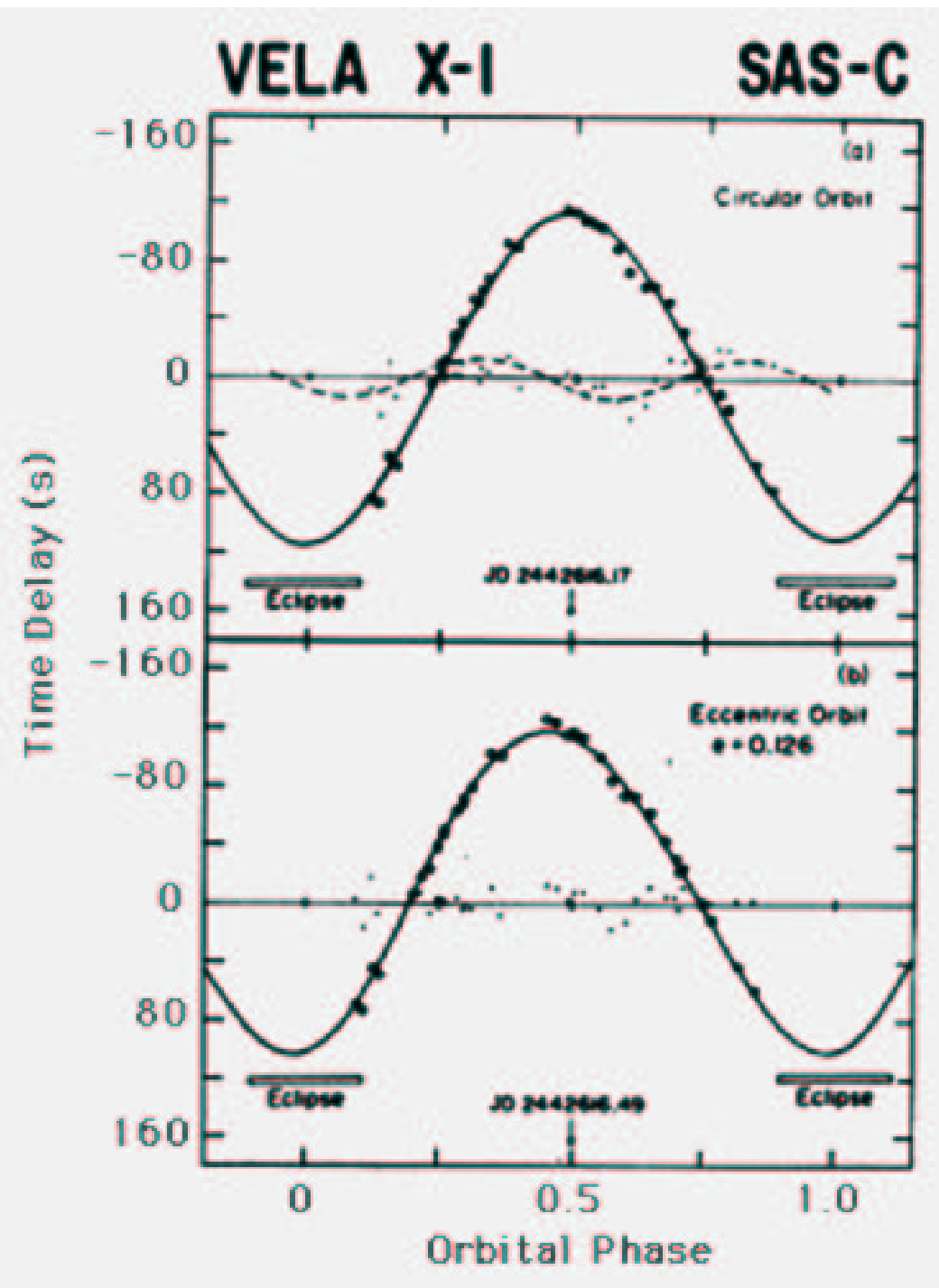


- Observed in HMXBs,  $P=0.1$  ms .. 1 min
- Bondi accretion and dipole magnetic field. Magnetosphere  $R_M$ : magnetic pressure equals the ram pressure.
- $B_0$  magnetic field at surface,  $B_M$  at  $R_M$   $B_M = \frac{B_0 R_0^3}{R_M^3}$ , magnetic pressure is  $\frac{B_M^2}{8\pi}$
- Schwarzschild radius  $R_G = GM/c^2 \Rightarrow M = c^2 R_G / 2G$
- Pressure of the gas  $P_{\text{flow}} = \rho v_{\text{ff}}^2 \propto (\dot{M} R_M^2) \sqrt{M/R_M}$
- The energy released  $L_X = \frac{GM\dot{M}}{R_*} = \frac{R_G c^2 \dot{M}_{\text{acc}}}{R_*} \approx 10^{36}$  erg/s as indeed observed
- Putting all together  $R_M \propto L^{-2/7} M^{1/7} R^{10/7} B_0^{4/7}$
- Lets angular rate of pulsar spin  $\Omega$  and  $P=2\pi/\Omega \rightarrow R_c=c/\Omega$
- Synchronisation orbit: gravitational orbital velocity is in corotation with the NS  
 $R_{\text{sy}} = R_G^{1/3} R_c^{2/3} = M^{1/3} P^{2/3}$ . For typical parameters of NS ( $B_0=10^{12}$  G)  $R_{\text{sy}}=R_M$

## 08 X-ray Pulsars (cont.)



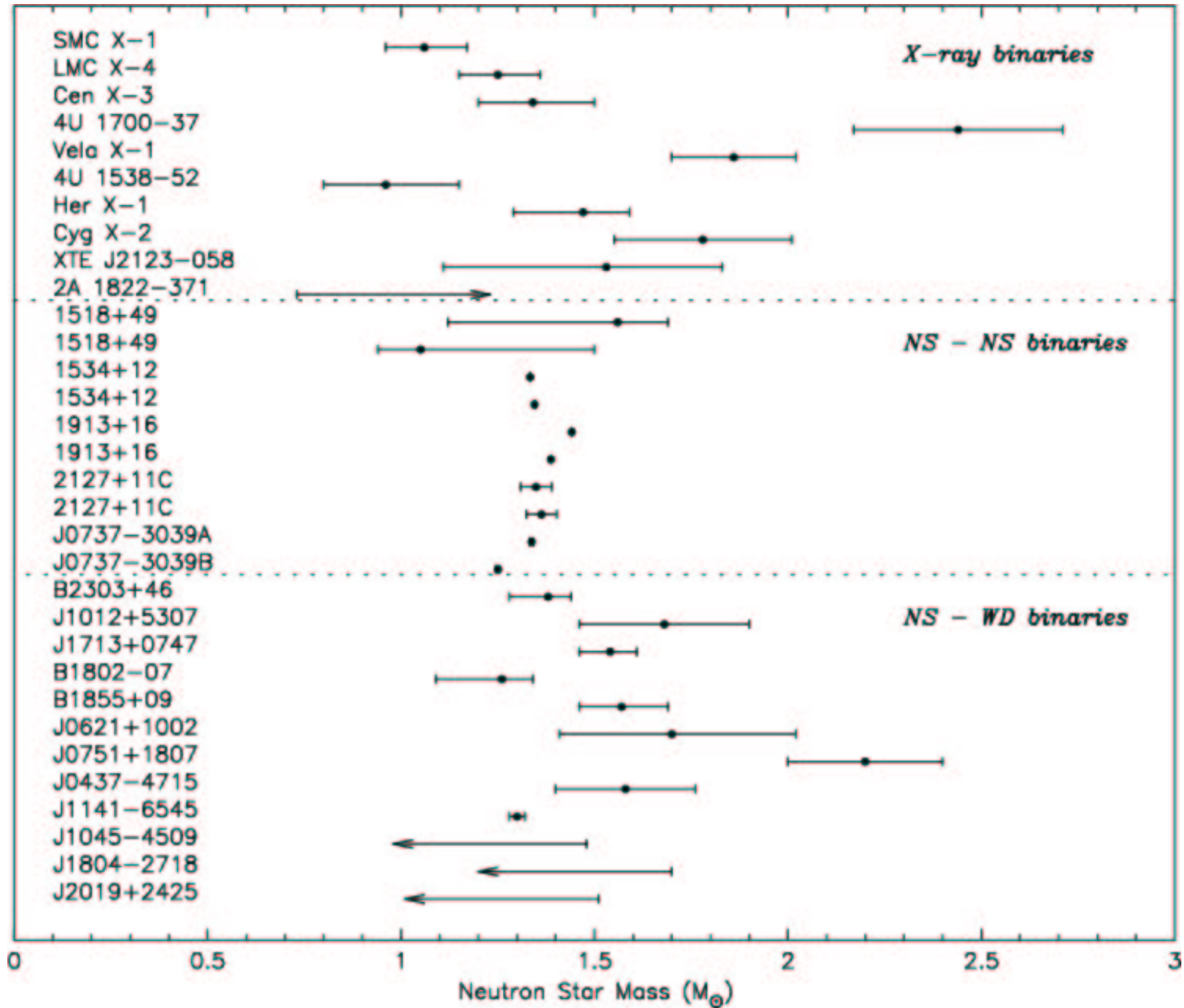
- The rotation rate of the NS is held near equilibrium, depending on the  $B_0$  and rotation rate
- If NS is spinning too fast  $R_M > R_{sy}$ , matter cannot fall through the magnetosphere
- Material is flung out of the system, inducing a braking torque. Spin-down for  $10^3$  yr but stopped afterwards
- If is spinning too slow  $R_M < R_{sy}$ . Density gradient in stellar winds  $\rightarrow$  a side closer to the star accretes more  $\rightarrow$  a torque  $\rightarrow$  spin up.
- The centrifugal barrier acts as a valve regulating the transfer of angular momentum



- Equation of state for neutron star matter is poorly established (X-ray observations help)
- Tolman-Oppenheimer-Volkoff upper limit on NS mass: 1.5-3?  $M_{\text{sun}}$
- Binary radio pulsars have well-defined mass around  $1.4 M_{\text{sun}}$ . What about accreting systems?
- Needed eclipsing X-ray pulsars: RV of donor from optical, RV of NS from pulse measurements, inclination from eclipse duration  $\rightarrow$  mass
- So far only 7 eclipsing X-ray pulsars are known, incl. Vela X-1



# 10 Neutron Star (NS) masses (van der Meer et al. 2007, A&A, 473, 523)



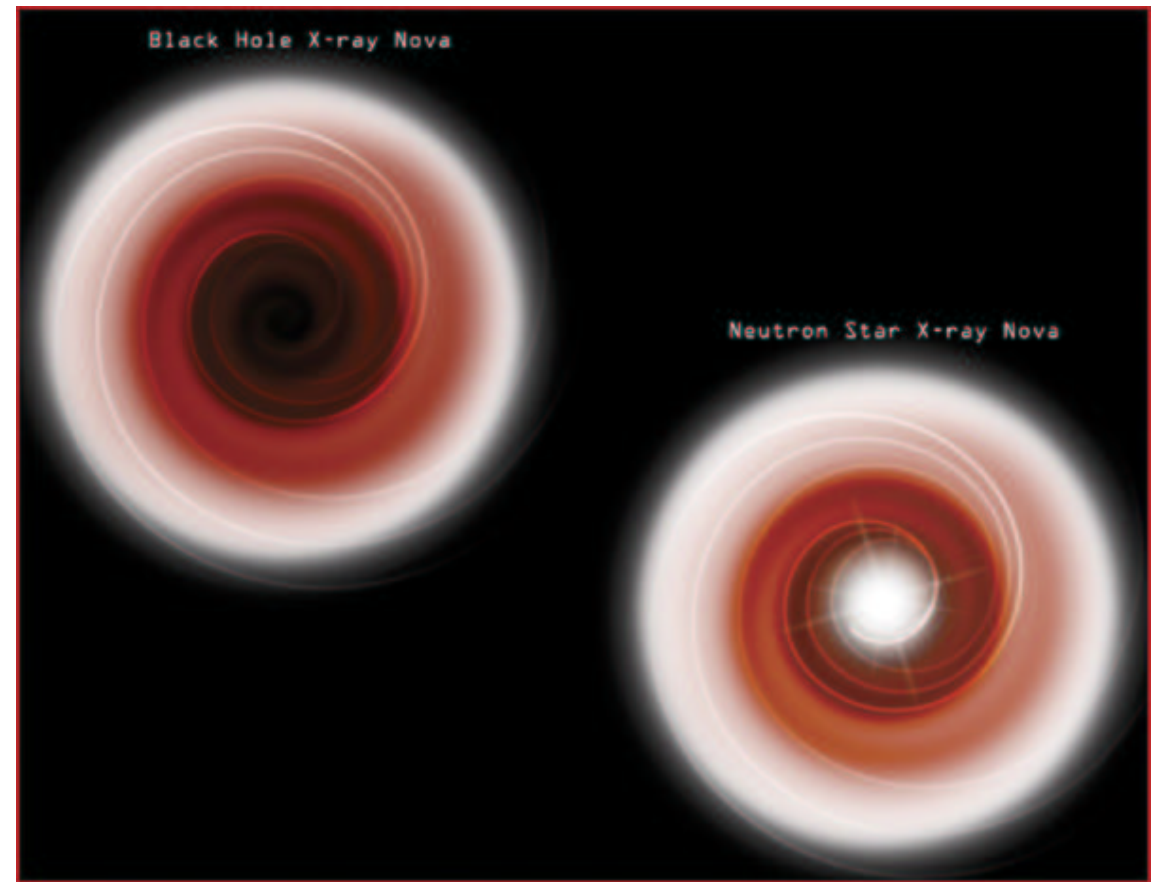
## 11 Black Hole X-ray Binaries

Oppenheimer & Snyder (1939):  
formation of a black hole.


- 20 XRBs contain a compact object with  $M > 3M_{\odot}$ . In the Galaxy  $10^{8-9}$ .
- A BH is specified by  $M$  (scale) and spin  $a=J/c M$  (geometry), where  $J$  is angular momentum. Or  $a^* = a/R_G$ .

Schwarzschild BH:  $a^* = 0$ ; Kerr BH:  $a^* = 1$ .

- Event horizon of a Schwarzschild BH  $R_S = 2R_G = 30\text{km} (M/10M_{\odot})$ , the ISCO lies at  $R_{\text{ISCO}} = 6R_G$ , and the maximum orbital frequency is  $\nu_{\text{ISCO}} = 220\text{Hz}(M/10M)^{-1}$ . For Kerr BH ( $a^* = 1$ ), the  $R_S = R_{\text{ISCO}}$  and  $\nu_{\text{ISCO}} = 1615\text{Hz}(M/10M)^{-1}$ .
- Radiating gas orbiting a compact object is the steady-state, thin accretion disk model (Shakura & Sunyaev 1973)  $\rightarrow T(R) \propto R^{-3/4}$ . Luminosity of an annulus  $L_X \propto R dR \sigma_{\text{sb}} T^4 \propto R^{-2}$ . X-rays are the best window to the horizon of a BH.



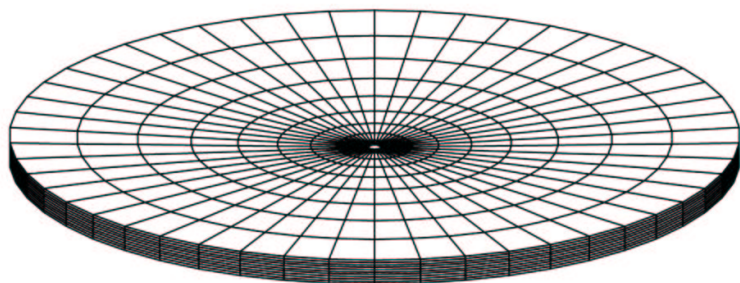
Companion star 

Accretion disk and black hole 



# 12 Census

 Cyg X-1



GRS 1915+105



LMC X-3 B3V

$$M_{\text{BH}} = 5.9-9.2M_{\odot}$$

LMC X-1 O7III

$$M_{\text{BH}} = 4.0-10.0M_{\odot}$$

GRS1915+105 MIII

$$M_{\text{BH}} = 10.0-18.0M_{\odot}$$

Cyg X--1 O9.7I

$$M_{\text{BH}} = 6.8-13.3M_{\odot}$$

V404 Cyg K0III

$$M_{\text{BH}} = 10.1-13.4M_{\odot}$$

XTE1118 M0V

$$M_{\text{BH}} = 6.5-7.2M_{\odot}$$

XTE J1118+480

XTE J1859+226



SAX J1819.3-2525

GRS 1009-45

GRS 1124-683

GS 2000+25

H1705-250



GRO J1655-40

A0620-00

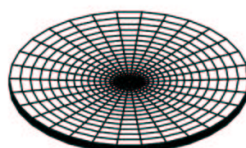
GRO J0422+32



4U 1543-47



GX 339-4



GS 2023+338



XTE J1550-564

steady X-ray bright  
transient X-ray novae

GRO J1655-40

## 13 Emission states of BH binaries

### Steep Power Law

SPL



August 1,  
1996

"The physical origin of the SPL state remains one of the outstanding problems in high-energy astrophysics. "

### Thermal state

Thermal



March 24,  
1997

Thermal emission from the inner regions of an accretion disk. Well advance MHD modeling of multitemperature accretion discs, and perhaps, explanation of viscosity.

### Hard state

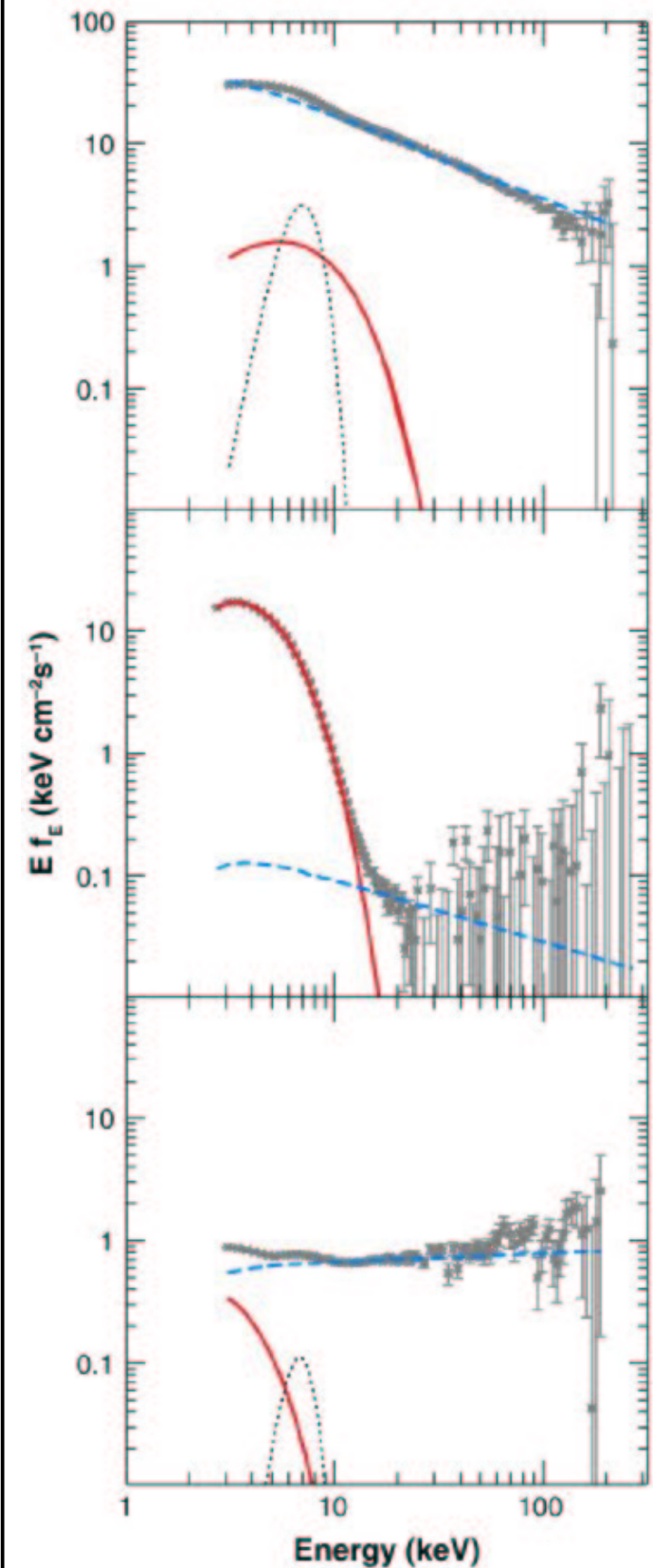
Hard



August 14,  
1997

Associated with the presence of a steady radio jet. Synchrotron and Compton components; the Compton emission is presumed to originate at the base of the jet.

ARA&A 44, 49





## 14 Quasi-Periodic Oscillations (QPOs)

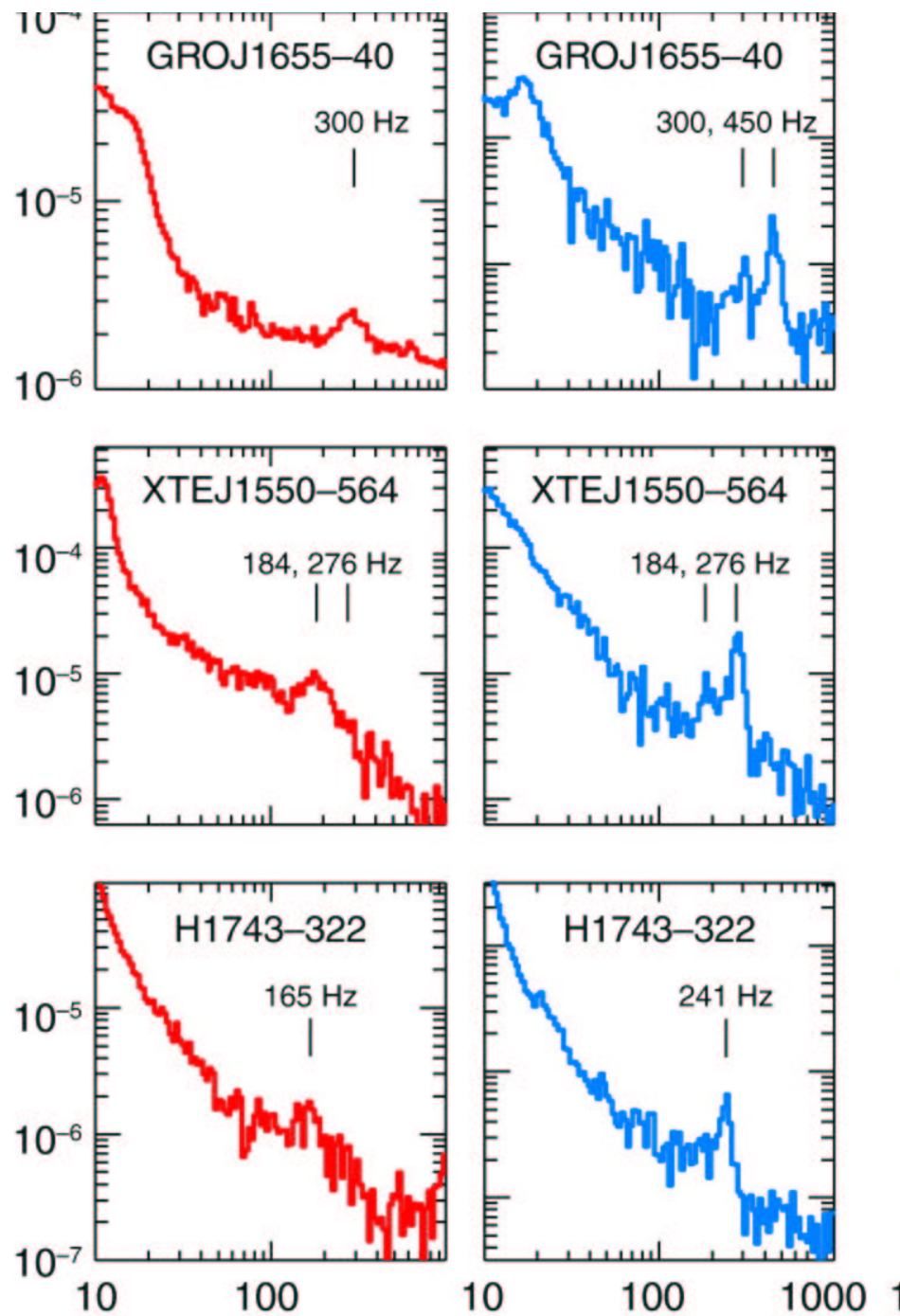
The pulse period is exactly the same as the spin period of the pulsar. QPO are modulations in the puls.

QPOs are observed as broad bump in the Fourier power spectra of X-ray light curves. Frequency depends on energy. The higher X-ray luminosity, the shorter is the QPO period.

Come in two flavors: **Low-frequency QPO** (0.1-30 Hz) and **High-frequency QPO** (40-450 Hz).

Some proposed mechanisms for **LFQPOs**

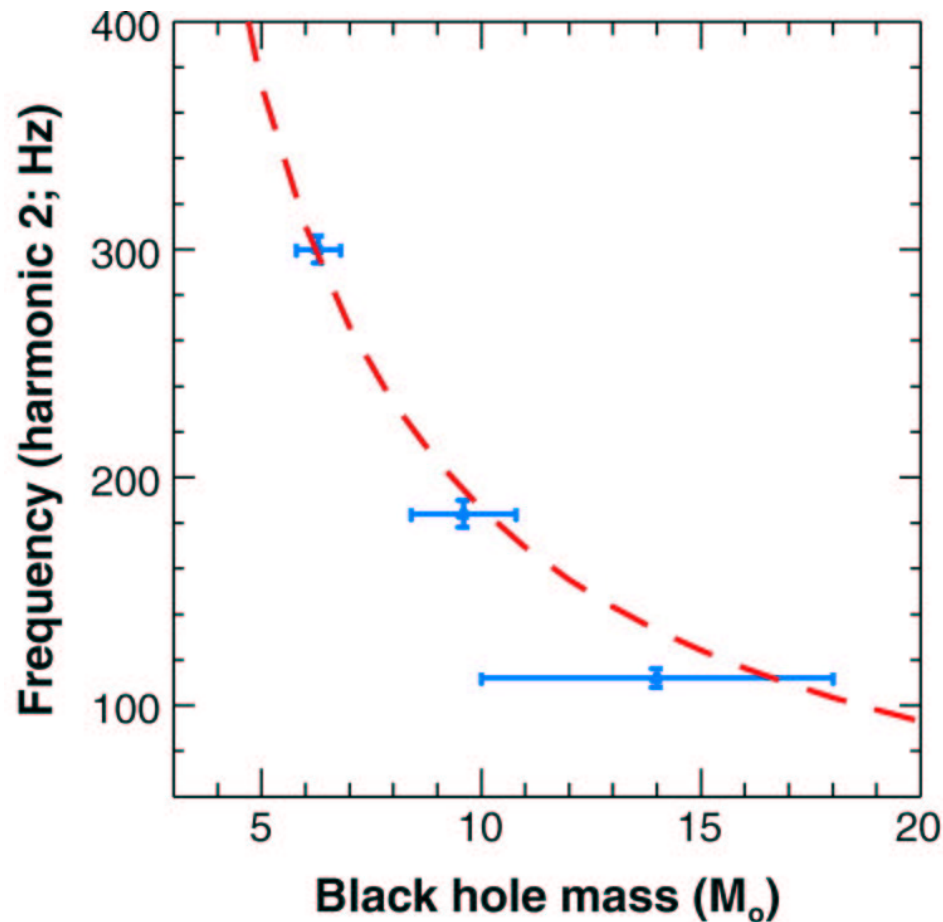
- Global disk oscillations
- Radial shock fronts in accretion flow
- Accretion-ejection instability model: spiral waves in a magnetized disk



6-30 keV

13-30 keV

## 15 High Frequency QPOs



Offer the most reliable measurement of BH spin once the correct model is known

HFQPOs, 150-450 Hz, correspond respectively to the frequency at the ISCO for Schwarzschild BHs with masses of 15-5  $M_{\odot}$ , which in turn closely matches the range of observed masses.

HFQPO frequencies do not vary significantly with  $L_x$ . → Frequency depends on the mass and spin of the BH.

Proposed models invoke orbital resonances in GR.

However only three sources where HFQPOs measured and BH masses are known.

AR Remillard RA, McClintock JE. 2006. Annu. Rev. Astron. Astrophys. 44:49–92